What do I need to see for you to earn maximum points ( $\mathbf{1 / 2}$ back) on your Test Corrections?

| $\begin{gathered} \text { Form } \\ \text { A } \end{gathered}$ | $\begin{gathered} \text { Form } \\ \text { B } \end{gathered}$ | What I need to see for test corrections so you can maximize your points back! <br> Pay attention to details and show what you need to show! Ask questions if you are still confused. Your goals is complete understanding! |
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| \#1 | \#5 | Correct lim notation <br> Expand the expression, simplify, take the limit |
| \#2 | \#6 | Correct lim notation <br> Factor everything, <br> What happens when there is a same factor over same factor? Tell me and evaluate the limit |
| \#3 | \#11 | Correct lim notation <br> Factor numerator then use conjugate factor strategy, reduce. Evaluate the limit |
| \#4 | \#12 | Correct lim notation Use LCD strategy, reduce and evaluate the limit |
| \#5 | \#1 | Draw a graph because you know what this function looks like. You do not need your calculator to do this. Explain why you know the limit value |
| \#6 | \#7 | This is a limit at infinity... which you should recognize as resulting in a HA. Show what terms are going to be dominant? Evaluate the limit. |
| \#7 | \#8 | Another limit at infinity... which you should recognize as resulting in a HA. Show what terms are going to be dominant? Evaluate the limit. |
| \#8 | \#4 | In order to earn points you must discuss each option $A, B, C, D, \& E$ explaining why each is true or false. Then make your conclusion. |
| \#9 | \#2 | In order to earn points you must discuss each option A, B, C, \& D explaining why each is true or false. Then make your conclusion. |
| \#10 | \#3 | Correct lim notation <br> Factor the sum of cubes correctly, reduce and evaluate the limit. |
| \#11 | \#9 | Discuss the true-ness or false-ness of each option A, B, C, D, \& E then make a conclusion |
| \#12 | \#10 | Factor the function completely and explain what discontinuities occur on $f(x)$. Discuss the true-ness or false-ness of each option I, ii, iii then make a conclusion. |
| \#13 | \#13 | State the theorem you are applying and state the pre-requisite condition of $\mathrm{f}(\mathrm{x})$ that guarantees the theorem can be applied. Show work to justify. |
| \#14 | \#14 | Start with the inequality statement that is given. <br> Using correct limit notation to show you are taking the limit of each part (left, middle, right) of the inequality. <br> Evaluate the left and right limits because you can. <br> What do these values tell you about the $\lim f(x)$ as $x->1$ ? <br> State the theorem that explains why you can make your conclusion |
| \#15a | \#15a | This is a limit at infinity so what do you care about? Tell me. What does not matter? Tell me. <br> State the value of the limit and the value of $K$. |
| \#15b | \#15b | Factor the denominator. <br> State for what values of x is the denominator zero? <br> What is the $x$-value in question for this limit? Tell me. <br> What the condition must be true about the numerator for the limit to exist at the $x$-value in question? Tell me. <br> Make the numerator factor to create the condition you are looking for. <br> State the value of the limit and the value of $K$. |


| \#16A | \#16B | For a 3-part piece-wise function to be continuous, state what must be true about the 1 $^{\text {st }}$ piece <br> and the 2nd piece? And the 2nd piece and the 3 3 piece? <br> Write equations that represent this criteria. <br> Now you should have a system of equations... and you learned in Math 1 and 2 and 3 and Pre- <br> calculus, how to solve a system of equations with 2 variables and 2 unknowns. You must show <br> the work to solve the system. <br> Answers without supporting algebraic work are called BALD ANSWERS and we do not give any <br> credit for bald answers. <br> There is another way to solve this problem... and some students did so beautifully. |
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| \#17A | \#17A | Given any rational function, the first thing you should always do is factor everything... <br> When is a rational function going to have discontinuities? Tell me when and tell me the x- <br> values where the function is discontinuous |
| \#17B | \#17B | For each of the TWO values found in part A. <br> Tell me what type of discontinuity is happening and write a limit statement. <br> If there is a hole state the (x,y) ordered pair. <br> Write a limit statement for the hole. <br> If there is a verical asymptote, write the equation. Remember an equation will consist of <br> "variable = constant" and not VA=constant. VA is not a variable, but rather an abbreviation for <br> "vertical asymptote" <br> Write a limit statement for the vertical asymptote. |
| \#17C | \#17C | If you have answered part B correctly, then in part C you only need to discuss horizontal <br> asymptote(s). <br> Write an equation for the horizontal asymptote, taking note of the correct equation form: <br> "variable = constant" and not HA = constant. <br> Write a limit statement for the HA |
| \#18A \#18B | I suggest that you draw circles around the limit statements that belong in a group... <br> Draw the feature on the graph that satisfies each limit statement. <br> If you are still confused about how to draw graphs watch the video I posted on the class <br> website found on the ABOUT page VIDEO \#9, and then try again. |  |

