

Chapter 2: Key Concept: The Derivative

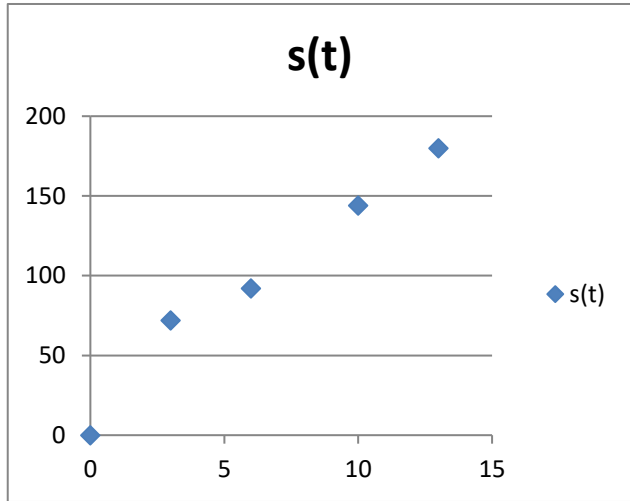
Practice Test

Name _____

LT #1 and LT #3: I can calculate the average velocity or average rate of change on a given time interval using a table, a graph or an algebraic rule and show a graphical representation of the meaning of this calculation.

1. At time t in seconds, a particle's distance $s(t)$ in cm, from a point is given in the table.

t	0	3	6	10	13
$s(t)$	0	72	92	144	180



- a. What is the average velocity of the particle from $t = 6$ to $t = 10$? Show your calculation.
- b. Indicate what you have found graphically with a secant line.
- c. Draw a slope segment on the graph to represent $s'(6)$

2. For $f(x) = \ln(x^2 + 7)$, what is the average rate of change of this function between $x = 1$ and $x = 3$. Show the calculation that leads to your answer. **Your answer should be accurate to 3 decimal places.**
3. For $f(x) = \ln(x^2 + 7)$, what is the instantaneous rate of change of this function at $x = 2.5$? **Your answer should be accurate to 3 decimal places.**

LT #2: I can approximate instantaneous velocity or instantaneous rate of change at a given point using a table or an algebraic rule. I know how to use a graphing calculator efficiently for this type of calculation.

4. For $s(t) = 3e^t - 1$, find the average velocity between $t = 2$ and $t = 2 + h$ if:
(Report answers accurate to three decimal places.)

- a. $h = 0.1$ b. $h = 0.01$ c. $h = 0.001$

LT #4: I can use $\frac{dy}{dx}$ on a graphing calculator to find the slope of a curve at a point.

- For $s(t) = 3e^t - 1$, what is $s'(2)$? (Use your graphing calculator and the tool: $\frac{dy}{dx}$.) *(Report answers accurate to three decimal places.)*

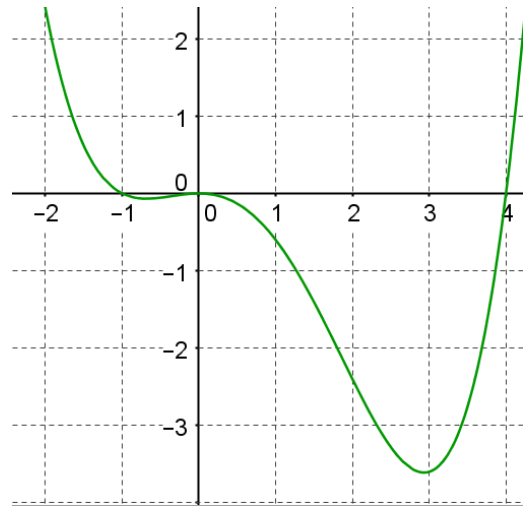
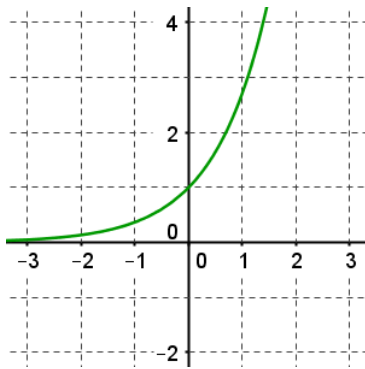
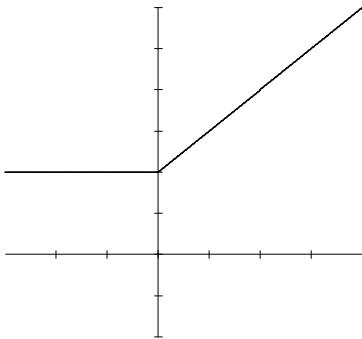
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LT #5: I can sketch the graph of a derivative when given the graph of the function.

5. Sketch the first and second derivative of each function below.



LT #6: I can interpret the meaning of the function, the first derivative, and the second derivative at a point.

6. For some painkillers, the size of the dose, D , given depends on the weight of the patient, W . Thus, $D = f(W)$, where D is in milligrams and W is in pounds.

(A) Interpret the statements $f(140) = 120$ and $f'(140) = 3$ in terms of this painkiller.

(B) What does the statement $f''(140) = -0.5$ tell you about this painkiller?

LT #7: I can sketch the graph of a function when given a description of the function in terms of continuity, differentiability and signs of the first and second derivatives.

7. Sketch the graph of an even function that is continuous on $[-5, 5]$ such that $g(-2) = 1$, $g(0) = 3$, and $g(5) = 7$. On $[-5, -3]$ $g'(x) < 0$ and $g''(x) > 0$. On $[-3, 0]$, $g'(x) > 0$ and $g''(x) < 0$.

LT #8: I can state what it means for a function to be differentiable at a point both graphically and algebraically.

8. List five types of points of non-differentiability.

9. Sketch an example of each type of point of non-differentiability.